

DEPARTMENT OF ELECTRONICS AND COMMUNICATION
“T3 Examination, MAY-2018”

Semester: 4TH

Subject: Network Analysis and Synthesis

Branch: ECE

Course Type: CORE

Time: 3 HOURS **Program:**

Date of Exam: 15/05/2018

Subject Code: ECH-211

Session: II

Course Nature: HARD

B.Tech Max. Marks: 80

*Note: All questions are compulsory from Part A (2*10=20 Marks)*

Attempt any two questions from Part B (15 Marks each). Attempt any two questions from Part C (15 Marks each).

PART-A

1(a). Identify the Filter for the Network. (fig. 1)

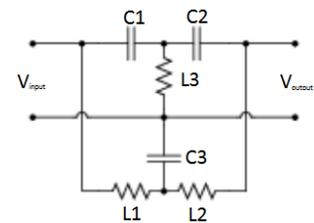


fig. 1

(b). In Constant K type filter what is meant by ‘Constant K’.

(c). For constant K type BSF, draw the Characteristic impedance vs Frequency plot.

(d). Design a constant K-high pass Filter T and π -section having $f_c = 5\text{kHz}$ and characteristic impedance $R_0 = 600\Omega$.

(e). Draw the m-Derived HPF circuit.

(f). Find the driving point impedance ($Z(s)$) for the given Network (fig. 2)

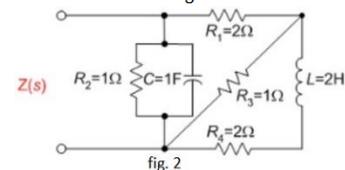


fig. 2

(g). For the pole zero plot find the Transfer function of the system and also determine from the plot whether the system is stable or not. (fig. 3)

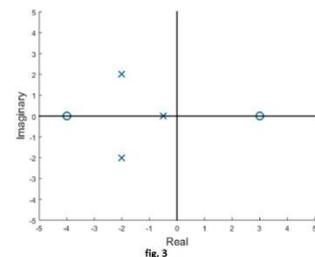


fig. 3

(h). Define the conditions for stability, instabilities and marginally stability in terms of location of poles and zeros.

(i). check whether the given polynomial $P(s) = s^4 + s^3 + 2s^2 + 3s + 2$ is Hurwitz or not.

(j). check the positive realness of the function $Y(s) = \frac{s^2 + 2s + 20}{s + 10}$.

PART-B

2.(a). What are the properties of Passive Filters.

(5)

(b). Find out the cut off frequency of Prototype LPF. And draw its Characteristic vs frequency plot. (10)

3. Design a prototype band pass filter to match a load of 600Ω and to allow frequencies between 3kHz and 6kHz. (15)

4. Design an m-derived LPF to match a line having characteristic impedance of 500Ω and to pass signals up to 1kHz with infinite attenuation occurring at 1.2 kHz. (15)

PART-C

5.(a) What are the Properties of Hurwitz polynomial. (5)

(b) Check whether the given polynomial $P(s)=s^7 + 3s^5 + s^3 + 2s$ is Hurwitz or not. (10)

6. The driving point impedance of a one port LC network is given by $Z(s)=\frac{8(s^2+4)(s^2+25)}{s(s^2+16)}$ obtain the first and second Foster form of equivalent networks. (15)

7. (a) The driving point impedance of a network is given by $Z(s)=\frac{s^3+4s}{s^2+2}$. Realize the Network. (5)

(b) Realize the network function $z(s) = \frac{(s^2+2)(s^2+4)}{s(s^2+3)}$ in cauer-2 form. (10)